## INJECTION

## AND

## EXTRACTION SYSTEM

## OF

## SUPERCONDUCTING CYCLOTRON



C. MALLIK<br>VECC

KOLKATA


## $\mathrm{E}($ Energy $)=\mathrm{B}^{2} \mathrm{R}^{2} \mathrm{Q}^{2} / 2 \mathrm{M}$



## Superconducting cyclotron (1985)

- Most existing cyclotrons utilize room temperature magnets Bmax $=2 \mathrm{~T}$ (iron saturation)
- Beyond that, superconducting coils must be used: $B_{\text {till }} \sim 6 T$

1. Small magnets for high energy
2. Low operation cost

## VECC



SCC


## SCC

142 cm
5.8 Tesla 40KW

K500

## RF System Specification

| Frequency range | $9-27 \mathrm{MHz}$ |
| :--- | :---: |
| Harmonics | $\mathbf{1 , 2 , 3 , 4 , 5 , 7}$ |
| Dee Voltage | 100 kV max. |
| Frequency stability | $1 \times 10^{-7}$ |
| Amplitude stability | $\mathbf{1 \times 1 0 ^ { - 4 }}$ |
| Phase stability | $<\mathbf{0 . 5}^{0}$ |



## ECR ION SOURCE

Electron temperature

## 224cm Variable Energy Cyclotron







Schematic of central region modifications

## Axial injection

1. The electrostatic mirror

* Simpliest A pair of planar electrodes which are at an angle of $45^{\circ}$ to the incoming beam. The first electrode is a grid reducing trawaission ( $65 \%$ eftisiency)
* smallest
- High voltage



## ECR ION SOURCE



## Argon Beam Spectrum



## ECR Ion Source

Fabrication Completed, Ready for Assembly


## 14 GHz ECR ION SOURCE



## BEAM ENVELOPE FOR AXIAL INJECTION LINE





## Spiral inflector



- First used in Grenoble (J.L. Pabot J.L. Belnonit)
- Consiste of 2 cylindrical capacitors which have been twisted to take into account the spiralling of the ion trajectory from magnet field.
$\vec{v}_{\text {buax }} \perp \vec{E}$ : central trajectory lies on an equipotential surface. Allows lower voltage than with mimors.
- 2 free parameters (spirall size in $z$ and $x y$ ) giving flexibility for central region design
- $100 \%$ transmission
LI

$$
\begin{aligned}
& \left(\begin{array}{cccccc}
0 & 1 & 0 & 0 & 0 & 0 \\
0 & 0 & h^{-1 / 2} & K & 0 & 0 \\
0 & 0 & 0 & 1 & 0 & 0 \\
-h^{-1} / 2 & -K & 0 & 0 & 0 & 0 \\
0 & 0 & 0 & 0 & 0 & 1 \\
0 & 0 & 0 & 0 & 0 & 0
\end{array}\right) \text {, (vaysing axial field) } \\
& \left(\begin{array}{cccccc}
0 & 1 & -C h & 0 & 0 & 0 \\
-S^{2} H^{2} & 0 & -S h / A & 0 & 0 & S K \\
C H^{-} & 0 & 0 & 1 & 0 & 0 \\
-S K / A & 0 & 0 & 0 & 0 & 2 / A \\
-S K & 0 & -1 / A & 0 & 0 & 1 \\
-C K / A & 0 & 0 & -1 / A & 0 & 0
\end{array}\right) \text {. (siral indectar) }
\end{aligned}
$$

where $h^{\prime}-1 / \rho, A$ is the jntiertor intight, $3-$ sin $(s / A), C=$ $\cos (s / A)$, s is the independent variable and is set to zero at the inflector entrance. For the spiral inflector, the two transfer matrices



Figure 2: The spiral inflector.







Electric potential distribution for central region electrode structures as simulated with the code RELAX3D. (a) The equipotential contours for dee-1 kept at $\mathrm{V}_{\text {dee }}$ and other electrodes grounded. (b) and (c) shows the similar picture for dee-2 and dee-3 kept at $\mathrm{V}_{\text {dee }}$ respectively while others grounded. (d) shows the distribution when all the dees are at $\mathrm{V}_{\mathrm{dee}}$; the dees, dummy dees and posts are also shown.

## RELAX3D, ANSYS

## CENTRAL PLUG



## Central Region Electrode Structure and Reference Trajectory



## $\mathrm{Q} / \mathrm{A}=0.3737 \mathrm{MeV} / \mathrm{n}$







## Sectional view of Median Plane of Cyclotron



## Relativistic case

## Isochronism and Lorente factor

$$
\begin{gathered}
\mathrm{m}=\gamma \mathrm{m}_{\mathrm{a}}=\frac{\mathrm{m}_{0}}{\sqrt{1-\beta^{2}}} \quad, \quad \beta=\frac{y}{\mathrm{c}} \\
\omega_{\mathrm{mw}}=\frac{Q B\left(r^{\prime}\right)}{\gamma(r) m_{0}}
\end{gathered}
$$

$\omega_{\text {rev }}$ constant if $\left.\mathrm{B}(\mathrm{r})=\mathrm{(r}\right) \mathrm{B}_{0} /$ increasing field $(\mathrm{n}<0)$

## Not compatible with a decreasing field for vertical focusing



## Tunes

$$
\nu_{r}^{2}=1+\kappa, \text { and } \nu_{z}^{2}=-\kappa+F^{2}\left(1+2 \tan ^{2} \xi\right)
$$

These expressions were originally derived by Symon, Kerst, Jones, Laslett, Terwilliger in the original 1956 Phys. Rev. paper about FFAGs.

Note: Since there is now a distinction between local curvature $(\rho)$ and global $(R)$, the definition of field index is ambiguous. The local index, used in the dipole transfer matrix, is $k=\frac{\rho}{B} \frac{d B}{d \rho}$, while the Symon formula uses $\kappa=\frac{R}{B} \frac{d B}{d R} \approx$ $k \frac{R}{\rho}$. It is in fact this latter quantity which must be equal to $\beta^{2} \gamma^{2}$ for isochronism.

For isochronous machines, we therefore have

$$
\nu_{r}=\gamma, \text { and } \nu_{z}^{2}=-\beta^{2} \gamma^{2}+F^{2}\left(1+2 \tan ^{2} \xi\right)
$$

## Energy and focusing limits

1. For conventional cyclotron, $F$ increases for small hill gap (Bhill 7) and deep valley ( $\mathrm{B}_{\text {va }} \triangle$ ) but does not depend on the magnetic field level:

$$
F=\frac{\left(B_{\text {hui }}-B_{\mathrm{m}}\right)}{8(B)^{2}}
$$

2. For superconducting cyclotron, the iron is saturated, the term $\left(\mathrm{B}_{\text {will }}-\mathrm{B}_{\mathrm{wal}}\right)^{2}$ is constant, hence $\mathrm{F} \propto 1 /<\mathrm{B}>2$

## OPERATING DIAGRAM



## Energy-Field-Frequency Diagram

Energy[ MieV/n]
$\begin{array}{llllllllllllllll}0.36 & 1.4 & 3.3 & 5.8 & 9.1 & 13.2 & 18 & 23.5 & 29.7 & 36.7 & 44.4 & 52.8 & 60.0 & 72\end{array}$





DEVIATION FROM THREE FOLD SYMMETRY - CONTOUR PLOT Step $=0.01 \mathrm{kG}$, Green: Negative, Blue: Zero, Red: Positive

## SPIRAL POLE TIPS




Shiming To Correct Average Field Profile

## $B(\theta)=B_{\text {average }}+B_{1} \operatorname{Cos}(\theta)+B_{2} \ldots \ldots \ldots$

## $1{ }^{\text {st }}$ Harmonic minimization



First Harmonic Minimization By Adding Iron Shims

FIRST HARMONIC DRIVES RESONANCES

## TRIM COIL INSTALLATION


Eile Selecter

- 7 -
Help
Dismiss|
$\frac{\text { x }]-\times \mathbb{x}]-9-1-1]}{\text { user3 accelcod src loac }}$


## /user3/accelcod/src/load




Title: K500: $1603+$ at $12.54 \mathrm{MeV} / \mathrm{u}$ (Profile:/user3/accelcod/testrun/final_spiralvecc.pro)




## Bars On (Calculate fields)

Actual Dee Voltage Profile

Correct nu_z

Intermediate E.O. Output

Full Circle Field

Max Iterateration =

## Nu_r vs. $\mathrm{Nu}_{-} \mathbf{z}$ plot , showing different resonances



Calculated isochronous average field




## Bump profile used for "Precissional Extraction"



Bump profile used for "Precissional Extraction"


## Precessional Extraction

In the extraction region of cyclotron, drops through the

$$
v_{r}=1
$$

resonance. This passage produces a coherent amplitude

$$
x_{c}=\frac{\pi R b_{1}}{B_{o}} \times \frac{1}{\sqrt{\frac{d v_{r}}{d n}}}
$$

In the fringing field precession takes place giving additional turn separation

$$
\frac{d R}{d n}=2 x_{c} \sin \pi\left(1-v_{r}\right)
$$

Bump profile used for "Precissional Extraction"


## Median Plan View




## Cross-section of Electrostatic Deflector




## Electrostatic Deflectors

## Electrostatic Defiector for SGC

- 2 Deflectors, $55^{\circ}$ and $43^{\circ}$
- The High Voltage Electrode: special contour, made of Titatanium.
- Maximum applied Voltage $\sim 100 \mathrm{kV}$
- Electrode is supported by three insulators
- Voltage Feed-through : Highly Insulated \& Shielded
- Septum: Made of Tungsten, Very thin ( 0.3 mm )
- Power Supply : Remotely operated


Passive magnetic channels


Cryostat being assembled with Magnet Iron

## Magnetic Channels

- 8 Passive Magnetic Channel
- Made of Iron Bars in Copper box, Locally reduce magnetic field to facilitate Beam Extraction, Movable radialy to suit dynamics of different ion species.
- 1 Active Magnetic Channel in the Yokehole


## Bump profile used for "Precissional Extraction"




Fig. (6a). $\mathrm{Q} / \mathrm{A}=0.25, \mathrm{E}=30 \mathrm{MeV} / \mathrm{n}, \mathrm{Bo}=46 . \mathrm{KG}$


Fig. ( 6 c ). $\mathrm{Q} / \mathrm{A}=0.5, \mathrm{E}=56 \mathrm{MeV} / \mathrm{n}, \mathrm{Bo}=31 \mathrm{KG}$


Fig. (6b). $\mathrm{Q} / \mathrm{A}=0.25, \mathrm{E}=20 \mathrm{MeV} / \mathrm{n}, \mathrm{Bo}=38$ KG

Figures show horizontal beam width along the Extraction Path, Magnetic channels M1-M8 are passive.M9 is active. For M1, M2 dB/dx is 8.3 KG/inch, M3-M5 dB/dx=13.3 KG/in, M6,M7 8.3 KG/in, M8 is $11.6 \mathrm{KG} / \mathrm{in}$. Simulated by code DEFINX for 3 different central magnetic field excitations.

## MEDIAN PLANE VIEW




## Bump profile used for "Precissional Extraction"



K500 SUPERCONDUCTING CYCLOTRON EXTERNAL BEAMLINE LAYOUT


## THANKS

Error Correction in Average Field Distrihution



LAYOUT OF WERTICAL SECTION OF INJECTION LINE FOR VEC K-5OO SUPERCONDUCTING CYCCLOTRON

## Possible Parameters for the FIRST BEAM






Beam envelope for $\mathrm{Q} / \mathrm{A}=0.5$, $\mathrm{Vinj}=20 \mathrm{kV}$.


## cyclotron

- homogenous magnetic field isochronous (non-relativistic)

$$
\frac{m v^{2}}{R}=q v B \quad R=\frac{m v}{B q} \quad v_{\text {opt }}=\frac{B q}{2 \pi m}
$$

- accelerate with RF electric field with $v_{R F}=v_{\text {orb }}$
- theory: homogeneous field + no vertical orbit stability
$\rightarrow$ large beamlosses
- pratice: due to fringefield effects $\mathrm{B}_{2}$ decreases with radius
+ marginal vertical orbit stability
- gradual loss of synchronism: energy limit


## cyclotron

- relativistic effects $\frac{\gamma m v^{2}}{R}=q v B \quad R=\frac{\gamma m v}{B q} \quad v_{\text {ot }}=\frac{B q}{2 \pi \gamma m}=f(R)$
- rapid loss of synchronism: energy limit $\sim 20 \mathrm{MeV}$ protons
- only useful for ions ( $\mathrm{m}_{\mathrm{p}} / \mathrm{m}_{\mathrm{e}}=1836$ )
- two solutions
- vary $\mathrm{V}_{\mathrm{RF}}$ periodically: pulsed acceleration, synchro-cyclotron requires phase focussing (McMillan, Veksler; 1945)
- restore isochronism $\mathrm{B}_{2}(r)=\gamma(r) \mathrm{B}_{2}(0)$ : isochronous cyclotron $\mathrm{B}_{2}$ increases with radius $\boldsymbol{\&}$ no vertical stabilility introduce sectors in magnetic field (Thomas; 1938):
"strong" focussing


## Vertical focusing

AVF of Thomas focusing (1938)
We need to find a way to increase the vertical focusing :

- $F_{r} \quad v_{\theta} B_{z}$ : ion on the circle
- $F_{Z} v_{E} B_{r}$ : vertical focusing (not enough)


## Remains

- $F_{z}$ with $v_{r}, B_{E}$ : one has to find an aximuthal component $B_{\theta}$ and a radial component $v_{\mathrm{F}}$ (meaning a non-circle trajectory)



## Vertical focusing and isochronism

## 2 conditions to fulfil

## - Vertical fucusine: $F_{x}-v_{n}^{2}$

- Field modulation OI

$$
\text { where } 4 B \text { is }
$$

the average tield
OI

$$
y_{z}^{2}=n+\frac{N^{2}}{N^{2}-1}+\ldots>0
$$

- Jenchronimmeondition:

$$
\bar{B}_{ \pm}(r)=\gamma(r) \bar{B}_{z}(0) \Rightarrow \frac{\partial B_{ \pm}}{\hat{B r}}>0 \Rightarrow n=1-\gamma^{2}<0
$$

The focusing limit is:

$$
\frac{N^{2}}{N^{2}-1} F>-n=y^{2}-1
$$

## Energy max for conventionnal cyclotrons

A cyclotron is characterised by its $\mathbb{K}_{\mathrm{b}}$ factor giving its max capabilities

$$
W_{\operatorname{ma}}(\text { MeV } / \text { moleon })=K_{b}\left\{\frac{Q}{A}\right\}^{2} \text { with } K_{b}=48,244\left(B^{k} y_{b}\right)^{2}
$$

- W $\propto r^{2}$ : iron volume as $r^{3}!\rightarrow$ for compact $r_{\text {ostration }} \sim 2 \mathrm{~m}$,
- For a same ion or isobar $\mathrm{A}=\mathrm{cst}, \mathrm{W}_{\text {max }}$ grows with $\mathrm{Q}^{2}$ (great importance of the ion sources cf P . Spidtke)


## Energy max for superconducting cyclotrons

Because of the focusing limitation due to the Flutter dependance on the B field:

$$
W_{\max }(\text { MeV } / \text { nucleon })=K_{f}\left\{\frac{Q}{A}\right\}
$$

## Axial injection

I. The electrosutic mimor

- Simpliest A pair of planar electrodes which areat an angle of $45^{\circ}$ to the incoming beam. The fifst electrode is a grid redueing transingion ( $65 \%$ eftictancy)
- Hmallest
- High wollage

2. Spiral inflector (or helical channel)

- analytical solution

3. The hyperboloid intlector

- Simplier to construct because of revolution surfice
- No free parameters and bigger tham a Spiral inflector
- No transverse comeletion. Easy beam matching

4. The parabolic inflector ont use in actual cyclotom, similar bo hyperboloid

## Cyclotron resolution

An important figure for heavy ion cyclotrons is its mass resolution.
There is the possibility to have out of the source vot only the desired ion beam $\left(\mathrm{m}_{\mathrm{w}} \mathrm{Q}_{0}\right)$ but also polluant beams with close O m ratio.

If the mass resolution of the cyclotron is not enough, both beams will be accelerated and sent in the physics experinents.

Mass resilationt $N=\frac{\Delta\left(\frac{m}{D}\right)}{\frac{H}{0}}=\frac{1}{2 \pi N}$
We want R snall $\Rightarrow$ separation of close ion pollusints

To have R small for given hamonic h, the nomber of tum needs to be increase $\Rightarrow$ lowering the accelerating voltage $\%$ sumall tim separation fpoor injection and' or extraction.

## AXIAL INJECTION SYSTEM USING ECR-1 \& ECR-2



## Simulation of 3D Field Distribution with TOSCA

magnetic field simulation of $k 500$ sce magnet 18/Jul/2006 14:17:01


## F VECTOR FIELDS

Field measurement was not possible at all excitations and at all places due to inaccessibility. TOSCA simulation has been done to make up the data.

## CRYOSTAT ASSEMBLY: COMPUTER MODEL




Shiming To Correct Average Field Profile

## TRIM COIL INSTALLATION



## CENTRAI, PIIUG

Plug hill part

Added shim


Electrostatic deflector

## OPERATING DIAGRAM VECC K500 CYCLOTRON



## Heavy Ion Acceleration

## Bending Limit : $\mathrm{K}_{\mathrm{b}}=\mathbf{5 2 0}$ <br> Focusing Limit : $\mathbf{K}_{\mathrm{f}}=\mathbf{1 6 0}$

- Fully Stripped Heavy Ion Beams upto energy $80 \mathrm{MeV} / \mathrm{A}$
- For Medium and Heavier Ion Beams Energy is limited to

$$
\text { 520. } \mathbf{Q}^{2} / \mathbf{A}^{2} \quad \mathrm{MeV} / \mathbf{A}
$$

Protons cannot be accelerated but singly charged hydrogen molecular ion can be accelerated which can be stripped at extraction - It is planned to operate the cyclotron in first harmonic mode. And hence energies below $10 \mathrm{MeV} / \mathrm{n}$ is ruled out. Experimentalists should plan above 15-20 MeV/n

## VECC K500 SCC

## EXTRACTION SIMULATION

## Energy vs. $\mathbf{N u}_{\mathrm{r}}, \mathbf{N u}_{\mathrm{z}}$ plot, showing the values at $\mathbf{E}_{\text {max }}$



Fourier analysis of the isochronous field obtained from Trim coil fitting program.


## Contour plot of the isochronous field obtained from Trim coil fitting program.



## Bump profile used for "Precissional Extraction"



## Bump profile used for "Precissional Extraction"



| DEF | TH EAR | R BAR | AL BAR | R RAY | AL RAY | $x$ AV | $-.25 \quad \mathrm{x} \quad+.25$ | -1.0 | X | +1.0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 8 | 147.00 | 27.730 | 4.300 | 27.710 | 0.679 | 0.016 |  | , | 1 | 1 |
| 9 | 147.00 | 27.730 | -2.200 | 27.710 | 0.678 | 0.001 | J |  |  |  |
| 10 | 203.00 |  |  | 28.324 | 2.309 |  |  |  |  |  |
| 11 | 229.00 |  |  | 29.986 | 3.540 |  |  |  |  |  |
| 12 | 239.00 |  |  | 29.332 | 4.194 |  |  |  |  |  |
| 13 | 259.00 |  |  | 30.259 | 6.350 |  |  |  |  |  |
| 14 | 269.00 |  |  | 30.945 | 9.433 |  |  |  |  |  |
| 15 | 279.00 |  |  | 31.902 | 11.596 |  |  |  |  |  |
| 16 | 299.00 |  |  | 33.310 | 16.561 |  |  |  |  |  |
| 17 | 322.84 | 49.624 | 51.243 | 49.431 | 51.719 | -0.091 |  |  | ( |  |

OFF FIEUD AT TH $\mathbf{- 3 3 9} 0 \quad 330.0$ DEK DR $-59.6604, \mathrm{DFR} / \mathrm{F}=0.9737$
$\mathrm{R}=26.2900 \quad \mathrm{FR}=1.1500 \mathrm{E}=20.00$

| DEF | TH1 | TH2 | TYP | $\mathrm{E}_{r} \mathrm{~B}_{r} \mathrm{R}$ | $\mathrm{DER}_{5} \mathrm{AL}$ | DE1, TH | DE2 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 6 | 337.00 | 32.00 | 1 | 64.590 | 0.000 | 0.000 | 0.000 |
| 7 | 94.00 | 137.00 | 1 | 64.590 | 0.000 | 0.000 | 0.0000 |
| 9 | 140.09 | 147.00 | 3 | 27.730 | 4. 300 | 0.000 | 0.000 |
| 9 | 147.00 | 152.91 | 3 | 27.730 | -2. 200 | 0.000 | 0.000 |
| 10 | 200.00 | 206.00 | 2 | 1.150 | 8. 300 | 0.000 | 0.000 |
| 11 | 226.00 | 232.00 | 2 | 1.150 | 8. 300 | 0.000 | 0.000 |
| 12 | 236.00 | 242.00 | 2 | 0.000 | 0.000 | 0.000 | 0.000 |
| 13 | 256.00 | 262.00 | 2 | 1.150 | 9. 300 | 0.000 | 0.000 |
| 14 | 266.00 | 272.00 | 2 | 1.150 | 9. 300 | 0.000 | 0.000 |
| 15 | 276.00 | 292.00 | 2 | 1.150 | 9. 300 | 0.000 | 0.000 |
| 16 | 296.00 | 292.00 | 2 | 1.150 | 8. 300 | 0.000 | 0.000 |
| 17 | 316.72 | 327.68 | 5 | 49.624 | 51.243 | 322.843 | 0.000 |
| 19 | 319.51 | 326.50 | 4 | 27.776 | 3.000 | 0.000 | 0.000 |
| 19 | 327.50 | 334.49 | 4 | 27.776 | -3. 000 | 0.000 | 0.000 |
| 20 | 45.91 | 58.09 | 4 | 28.950 | 0.000 | 0.000 | 0.000 |


| DEF | TH EAR | R EAR | AL EAR | R RAY | AL RAY | $x$ AV | $-.25 \quad \mathrm{x}$ +.25 | -1.0 | X | +1.0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 9 | 147.00 | 27.731 | 4.300 | 27.710 | 0.680 | 0.015 |  | , | , | , |
| 9 | 147.00 | 27.731 | -2.200 | 27.710 | 0.680 | 0.001 | 1 |  |  |  |
| 10 | 203.00 | 29.304 | 2.300 | 29.326 | 2.312 | 0.009 | V |  |  |  |
| 11 | 229.00 | 29.970 | 3.400 | 28.990 | 3.549 | 0.007 | 1 |  |  |  |
| 12 | 239.00 |  |  | 29.336 | 4.205 |  |  |  |  |  |
| 13 | 259.00 | 30.244 | 6.600 | 30.266 | 6.368 | 0.009 | 1 |  |  |  |
| 14 | 269.00 | 30.932 | 9.500 | 30.954 | 8.457 | 0.011 | 1 |  |  |  |
| 15 | 279.00 | 31.898 | 11.600 | 31.915 | 11.633 | 0.007 | \\| |  |  |  |
| 16 | 299.00 | 33.315 | 16.900 | 33.328 | 16.615 | 0.007 | 1 |  |  |  |
| 17 | 322.84 | 49.624 | 51.243 | 49.530 | 51.795 | -0.031 |  |  | 1. |  |

OFF FIEUD AT TH $\mathbf{- 3 3 9} 0 \quad 330.0 \mathrm{DEG} \mathrm{DR}-59.8010, \mathrm{DFR} / \mathrm{P}=0.9740$
$\mathrm{R}=26.2900 \quad \mathrm{FR}=1.1500 \mathrm{E}=20.00$

| DEF | TH1 | TH2 | TYP | $\mathrm{E}_{f} \mathrm{~B}, \mathrm{R}$ | $\mathrm{DER}_{5} \mathrm{AL}$ | DE1, TH | DE2 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 6 | 337.00 | 32.00 | 1 | 64.590 | 0.000 | 0.000 | 0.000 |
| 7 | 94.00 | 137.00 | 1 | 64.590 | 0.000 | 0.000 | 0.0000 |
| 9 | 140.09 | 147.00 | 3 | 27.731 | 4.300 | 0.000 | 0.000 |
| 9 | 147.00 | 152.91 | 3 | 27.731 | -2. 200 | 0.000 | 0.000 |
| 10 | 200.00 | 205.98 | 3 | 28.304 | 2. 300 | 0.000 | 0.000 |
| 11 | 226.01 | 231.97 | 3 | 29.970 | 3. 400 | 0.000 | 0.000 |
| 12 | 236.00 | 242.00 | 2 | 0.000 | 0.000 | 0.000 | 0.000 |
| 13 | 256.01 | 261.95 | 3 | 30.244 | 6.600 | 0.000 | 0.000 |
| 14 | 266.01 | 271.94 | 3 | 30.932 | 9. 500 | 0.000 | 0.000 |
| 15 | 276.03 | 291.91 | 3 | 31.898 | 11. 600 | 0.000 | 0.000 |
| 16 | 296.10 | 291.92 | 3 | 33.315 | 16.900 | 0.000 | 0.000 |
| 17 | 316.72 | 327.68 | 5 | 49.624 | 51.243 | 322.843 | 0.000 |
| 19 | 319.51 | 326.50 | 4 | 27.776 | 3.000 | 0.000 | 0.000 |
| 19 | 327.50 | 334.49 | 4 | 27.776 | -3.000 | 0.000 | 0.000 |
| 20 | 45.91 | 58.09 | 4 | 29.950 | 0.000 | 0.000 | 0.000 |

## Trajectories through the Extraction system



## Bump profile used for "Precissional Extraction"



## Bump profile used for "Precissional Extraction"



## Bump profile used for "Precissional Extraction"



Bump profile used for "Precissional Extraction"


## Median Plan View of the K-500 SCC VEC showing the Extraction Elements with the Extracted Beam [ $\left.\mathrm{He}^{+1} 20 \mathrm{Mev} / \mathrm{A}\right]$



